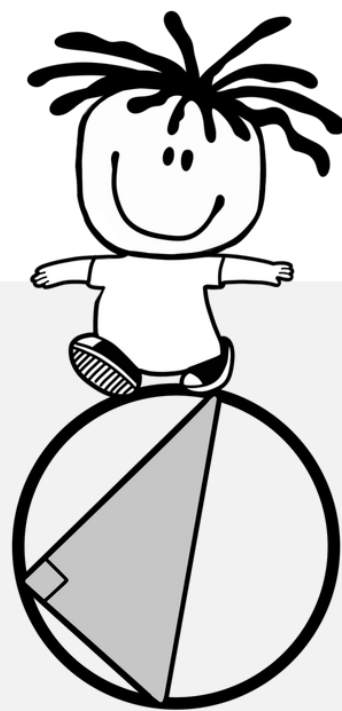


AMESA 2026

WORKSHOP

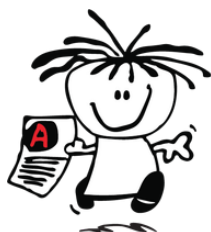
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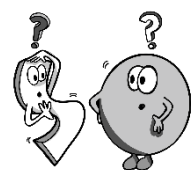
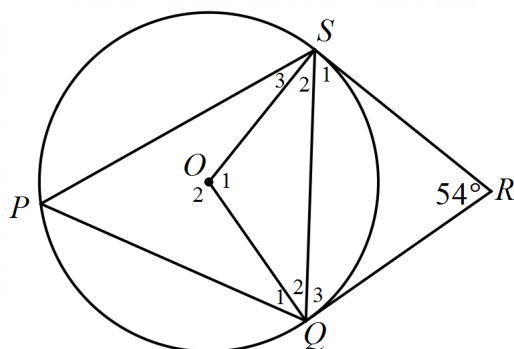
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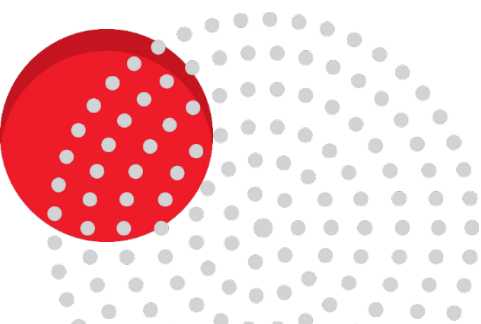
Question 1

In the diagram below, O is the centre of the circle. P , S and Q are points on the circumference of the circle. $\widehat{SRQ} = 54^\circ$. SR and QR are tangents of the circle at S and Q respectively.



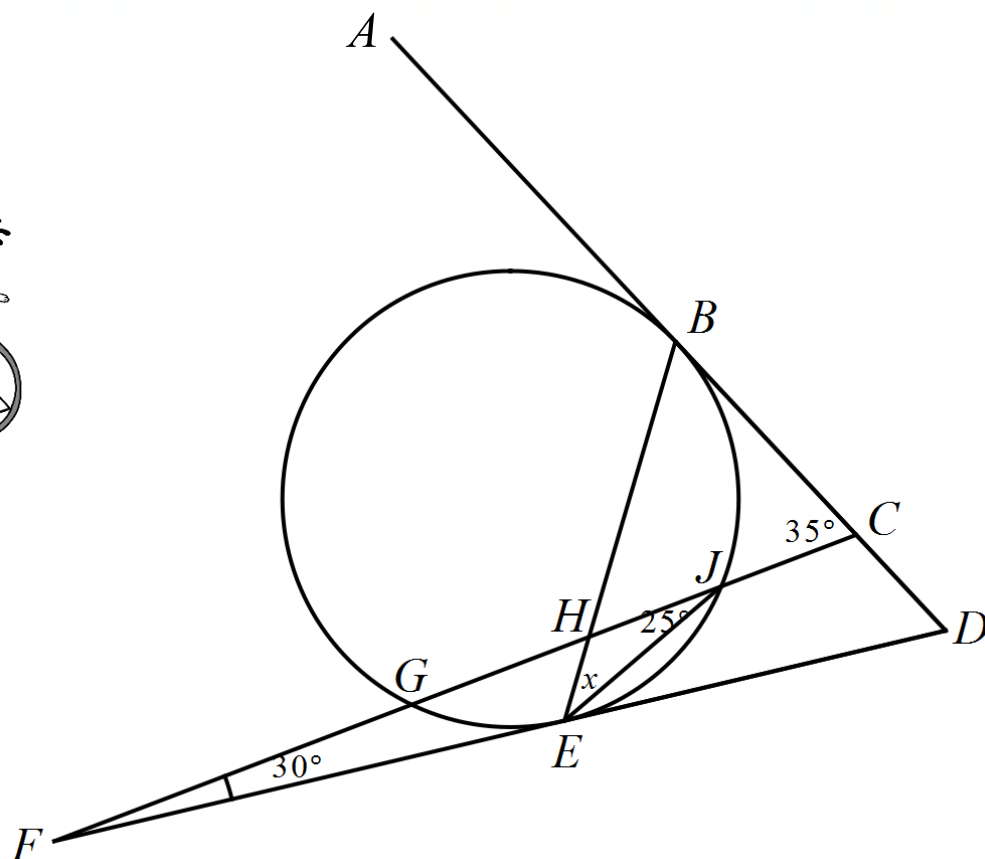
Determine the size of:

- 1.1 $\widehat{Q}_3$ (4)
- 1.2 $\widehat{P}$ (2)
- 1.3 $\widehat{O}_1$ (2)



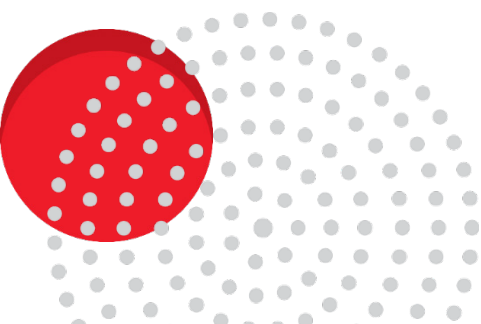
Question 2

DA and DF are tangents to the circle at B and E respectively. C is a point on DA such that CF intersects the circle at J and G , and intersects BE at H . $\widehat{ACF} = 35^\circ$, $\widehat{DFC} = 30^\circ$ and $\widehat{FJE} = 25^\circ$. Let $\widehat{JEH} = x$.



Determine the size of x .

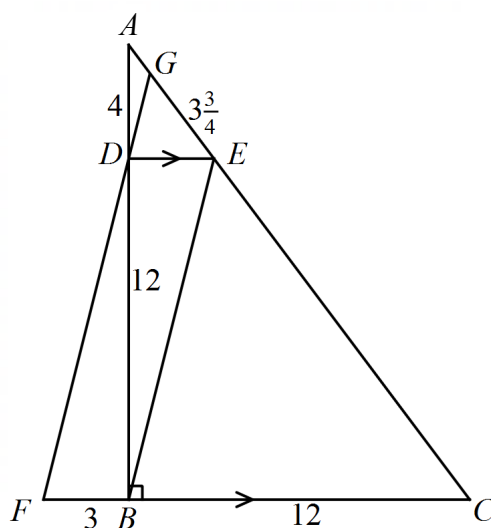




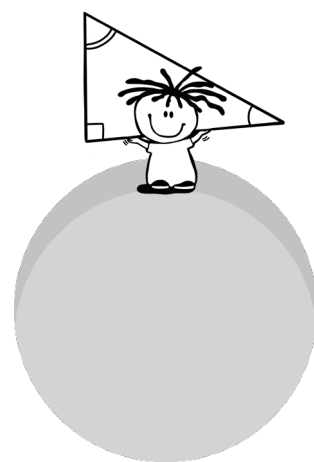
Question 3

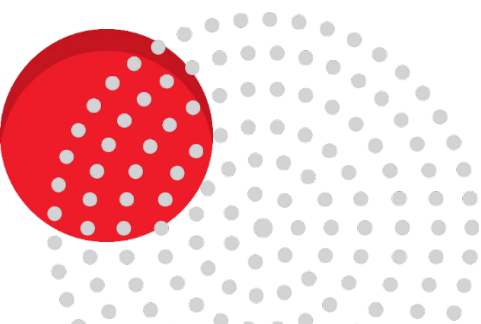
In the figure, $\triangle ABC$ is right-angled at B . The point D lies on AB and the point E lies on AC such that $DE \parallel BC$. CB is produced to F . FD is drawn and produced to G , a point on AC .

$BC = DB = 12$ units, $AD = 4$ units, $FB = 3$ units and $GE = 3\frac{3}{4}$ units.



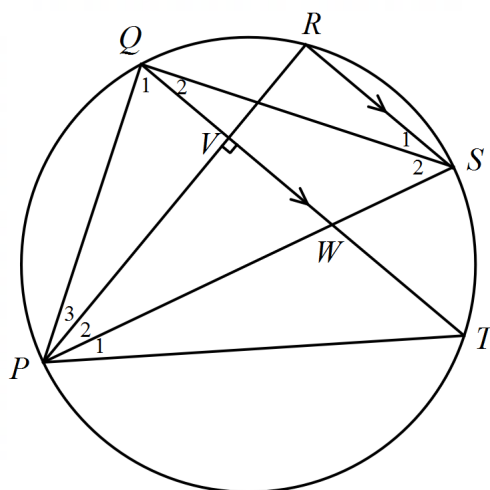
Prove that $FG \parallel BE$.



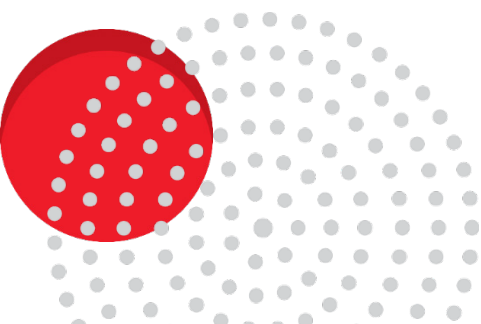


Question 4

PQ and QT are chords of a circle with $PQ < QT$. R is a point on the circle such that $PR \perp QT$ and S is a point on the circle such that $RS \parallel QT$.



Prove that $\hat{P}_1 + \hat{Q}_1 = 90^\circ$.





EUCLIDEAN GEOMETRY: THEOREM STATEMENTS & ACCEPTABLE REASONS

LINES

The adjacent angles on a straight line are supplementary.	$\angle^s$ on a str line
If the adjacent angles are supplementary, the outer arms of these angles form a straight line.	adj $\angle^s$ supp
The adjacent angles in a revolution add up to 360° .	$\angle^s$ around a pt OR $\angle^s$ in a rev
Vertically opposite angles are equal.	vert opp $\angle^s$
If $AB \parallel CD$, then the alternate angles are equal.	alt $\angle^s$; $AB \parallel CD$
If $AB \parallel CD$, then the corresponding angles are equal.	corresp $\angle^s$; $AB \parallel CD$
If $AB \parallel CD$, then the co-interior angles are supplementary.	co-int $\angle^s$; $AB \parallel CD$
If the alternate angles between two lines are equal, then the lines are parallel.	alt $\angle^s =$
If the corresponding angles between two lines are equal, then the lines are parallel.	corresp $\angle^s =$
If the co-interior angles between two lines are supplementary, then the lines are parallel.	co-int $\angle^s$ supp



TRIANGLES

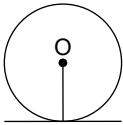
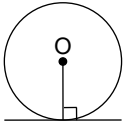
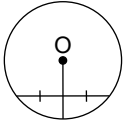
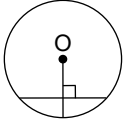
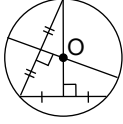
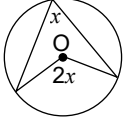
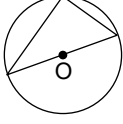
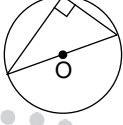
The interior angles of a triangle are supplementary.	$\angle$ sum in Δ OR sum of $\angle^s$ in Δ OR int $\angle^s$ in Δ
The exterior angle of a triangle is equal to the sum of the interior opposite angles.	ext $\angle$ of Δ
The angles opposite the equal sides in an isosceles triangle are equal.	$\angle^s$ opp equal sides
The sides opposite the equal angles in an isosceles triangle are equal.	sides opp equal $\angle^s$
In a right-angled triangle, the square of the hypotenuse is equal to the sum of the squares of the other two sides.	Pythagoras OR Theorem of Pythagoras
If the square of the longest side in a triangle is equal to the sum of the squares of the other two sides then the triangle is right-angled.	Converse Pythagoras OR Converse Theorem of Pythagoras
If three sides of one triangle are respectively equal to three sides of another triangle, the triangles are congruent.	SSS
If two sides and an included angle of one triangle are respectively equal to two sides and an included angle of another triangle, the triangles are congruent.	SAS OR $S\angle S$
If two angles and one side of one triangle are respectively equal to two angles and the corresponding side in another triangle, the triangles are congruent.	AAS OR $\angle\angle S$
If in two right angled triangles, the hypotenuse and one side of one triangle are respectively equal to the hypotenuse and one side of the other, the triangles are congruent.	RHS OR $90^\circ HS$
The line segment joining the midpoints of two sides of a triangle is parallel to the third side and equal to half the length of the third side.	Midpt Theorem
The line drawn from the midpoint of one side of a triangle, parallel to another side, bisects the third side.	line through midpt $\parallel$ to 2 nd side
A line drawn parallel to one side of a triangle divides the other two sides proportionally.	line $\parallel$ one side of Δ OR prop theorem; name $\parallel$ lines
If a line divides two sides of a triangle in the same proportion, then the line is parallel to the third side.	line divides two sides of Δ in prop
If two triangles are equiangular, then the corresponding sides are in proportion (and consequently the triangles are similar).	$\parallel\parallel\parallel \Delta^s$ OR equiangular Δ^s
If the corresponding sides of two triangles are proportional, then the triangles are equiangular (and consequently the triangles are similar).	sides of Δ in prop
If triangles (or parallelograms) are on the same base (or on bases of equal length) and between the same parallel lines, then the triangles (or parallelograms) have equal areas.	same base; same height OR equal bases; equal height

QUADRILATERALS

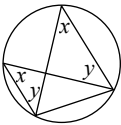
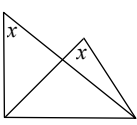
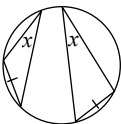
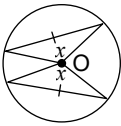
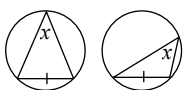
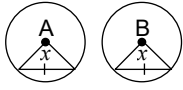
The interior angles of a quadrilateral add up to 360° .	sum of $\angle^s$ in quad
The opposite sides of a parallelogram are parallel.	opp sides of $\parallel m$
If the opposite sides of a quadrilateral are parallel, then the quadrilateral is a parallelogram.	opp sides of quad are $\parallel$ OR converse opp sides of $\parallel m$
The opposite sides of a parallelogram are equal in length.	opp sides of $\parallel m$
If the opposite sides of a quadrilateral are equal, then the quadrilateral is a parallelogram.	opp sides of quad are $=$ OR converse opp sides of a parm
The opposite angles of a parallelogram are equal.	opp $\angle^s$ of $\parallel m$
If the opposite angles of a quadrilateral are equal then the quadrilateral is a parallelogram.	opp $\angle^s$ of quad are $=$ OR converse opp angles of a parm
The diagonals of a parallelogram bisect each other.	diag of $\parallel m$
If the diagonals of a quadrilateral bisect each other, then the quadrilateral is a parallelogram.	diags of quad bisect each other OR converse diags of a parm
If one pair of opposite sides of a quadrilateral are equal and parallel, then the quadrilateral is a parallelogram.	pair of opp sides $=$ and $\parallel$
The diagonals of a parallelogram bisect its area.	diag bisect area of $\parallel m$
The diagonals of a rhombus bisect at right angles.	diags of rhombus
The diagonals of a rhombus bisect the interior angles.	diags of rhombus
All four sides of a rhombus are equal in length.	sides of rhombus
All four sides of a square are equal in length.	sides of square
The diagonals of a rectangle are equal in length.	diags of rect
The diagonals of a kite intersect at right-angles.	diags of kite
A diagonal of a kite bisects the other diagonal.	diag of kite
A diagonal of a kite bisects the opposite angles.	diag of kite

CIRCLES

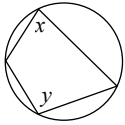
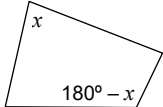
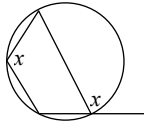
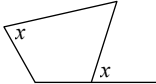
GROUP I

	The tangent to a circle is perpendicular to the radius/diameter of the circle at the point of contact.	$\text{tan} \perp \text{radius}$ $\text{tan} \perp \text{diameter}$
	If a line is drawn perpendicular to a radius/diameter at the point where the radius/diameter meets the circle, then the line is a tangent to the circle.	$\text{line} \perp \text{radius}$ OR converse $\text{tan} \perp \text{radius}$ OR converse $\text{tan} \perp \text{diameter}$
	The line drawn from the centre of a circle to the midpoint of a chord is perpendicular to the chord.	line from centre to midpt of chord
	The line drawn from the centre of a circle perpendicular to a chord bisects the chord.	line from centre $\perp$ to chord
	The perpendicular bisector of a chord passes through the centre of the circle.	perp bisector of chord
	The angle subtended by an arc at the centre of a circle is double the size of the angle subtended by the same arc at the circle (on the same side of the chord as the centre)	$\angle \text{ at centre}$ $= 2 \times \angle \text{ at circumference}$
	The angle subtended by the diameter at the circumference of the circle is 90° .	$\angle^s$ in semi circle OR diameter subtends right angle OR $\angle$ in $\frac{1}{2} \odot$
	If the angle subtended by a chord at the circumference of the circle is 90° , then the chord is a diameter.	chord subtends 90° OR converse $\angle^s$ in semi circle

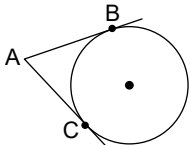
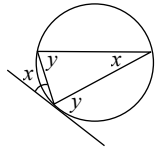
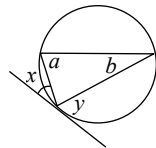
GROUP II

	Angles subtended by a chord of the circle, on the same side of the chord, are equal	$\angle^s$ in the same seg
	If a line segment joining two points subtends equal angles at two points on the same side of the line segment, then the four points are concyclic. (This can be used to prove that the four points are concyclic).	line subtends equal $\angle^s$ OR converse $\angle^s$ in the same seg
	Equal chords subtend equal angles at the circumference of the circle.	equal chords; equal $\angle^s$
	Equal chords subtend equal angles at the centre of the circle.	equal chords; equal $\angle^s$
	Equal chords in equal circles subtend equal angles at the circumference of the circles.	equal circles; equal chords; equal $\angle^s$
	Equal chords in equal circles subtend equal angles at the centre of the circles. (A and B indicate the centres of the circles)	equal circles; equal chords; equal $\angle^s$

GROUP III

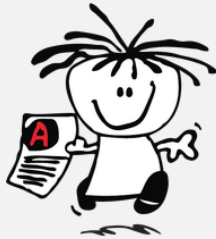
	The opposite angles of a cyclic quadrilateral are supplementary (i.e. x and y are supplementary)	opp $\angle^s$ of cyclic quad
	If the opposite angles of a quadrilateral are supplementary then the quadrilateral is cyclic.	opp $\angle^s$ quad sup OR converse opp $\angle^s$ of cyclic quad
	The exterior angle of a cyclic quadrilateral is equal to the interior opposite angle.	ext $\angle$ of cyclic quad
	If the exterior angle of a quadrilateral is equal to the interior opposite angle of the quadrilateral, then the quadrilateral is cyclic.	ext $\angle$ = int opp $\angle$ OR converse ext $\angle$ of cyclic quad

GROUP IV

	Two tangents drawn to a circle from the same point outside the circle are equal in length ($AB = AC$)	Tans from common pt OR Tans from same pt
	The angle between the tangent to a circle and the chord drawn from the point of contact is equal to the angle in the alternate segment.	tan chord theorem
	If a line is drawn through the end-point of a chord, making with the chord an angle equal to an angle in the alternate segment, then the line is a tangent to the circle. (If $x = b$ or if $y = a$ then the line is a tangent to the circle)	converse tan chord theorem OR $\angle$ between line and chord



Thank You



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